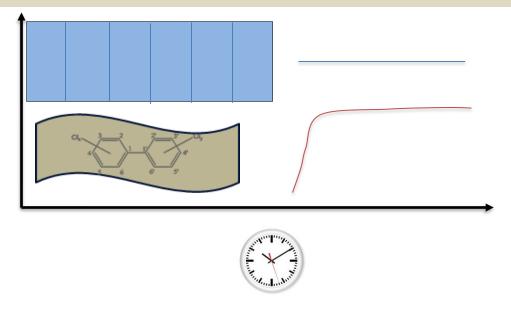


# How Efficient is Time-Integration for Equilibrium Passive Sampling?





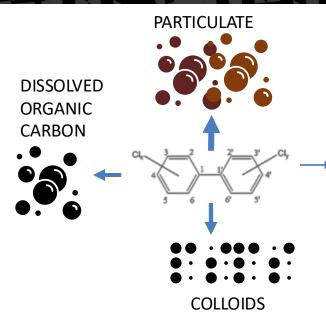
Oindrila Ghosh, Songjing Yan, Mandar Bokare, Upal Ghosh

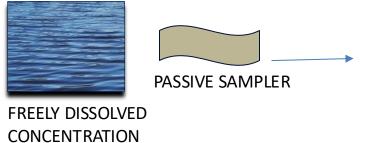


Department of Chemical, Biochemical and Environmental Engineering, University of Maryland Baltimore County



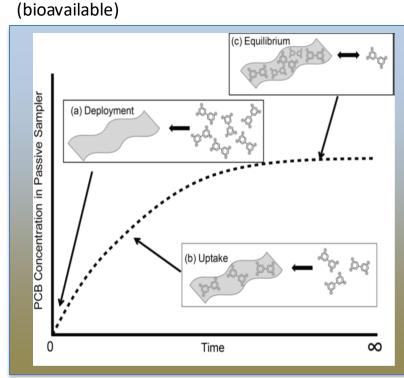
## **PASSIVE SAMPLING**







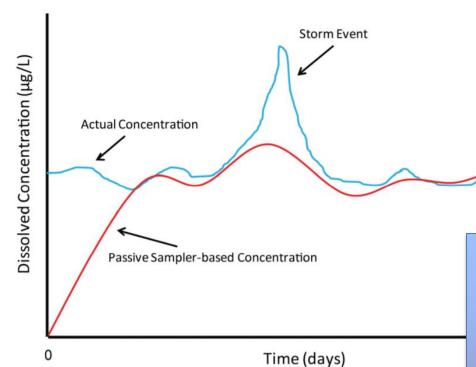
Freely dissolved conc. of contaminant in water column/interstitial water (ug/L) [Ghosh et al., 2014]



Simulations of COC accumulation

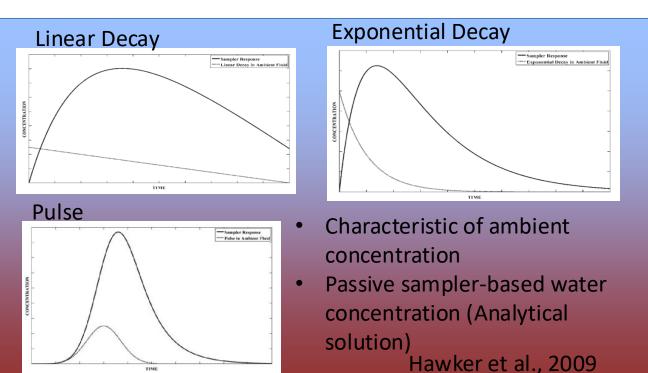
1st Order Model

1D Fick's Diffusion Model



#### **AIM**

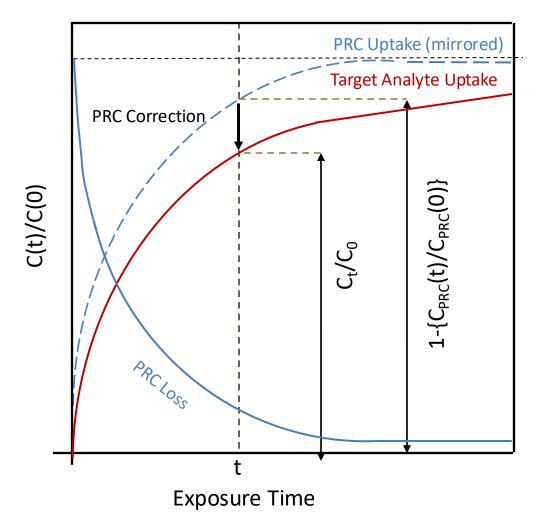
- In the real environment, water concentrations of these HOCs vary temporally.
- Important for ecological exposure assessment.
- How well passive sampler concentrations represent the time-averaged concentration over an entire deployment period?

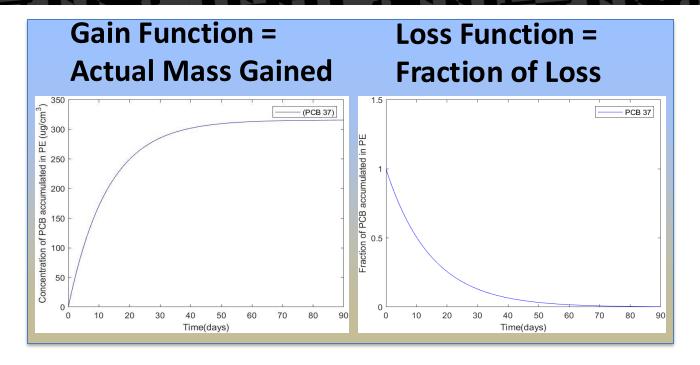




## **METHODS: PRC CORRECTION**

## PERFORMANCE REFERENCE COMPOUND CORRECTION FOR EQUILIBRIUM





 $Corrected\ Mass\ of\ PCB\ Uptake = \frac{Actual\ Mass\ Gained}{Fraction\ of\ Loss}$ 

$$C_{w} = \frac{Corrected \; Mass \; of \; PCB \; Uptake}{K_{PEW}}$$

INITIAL CONDITIONS: Water concentration varies from 1ng/L to 0.1ng/L.

## METHODS: FIRST ORDER & DIFFUSION MODELS

### FIRST ORDER MODEL

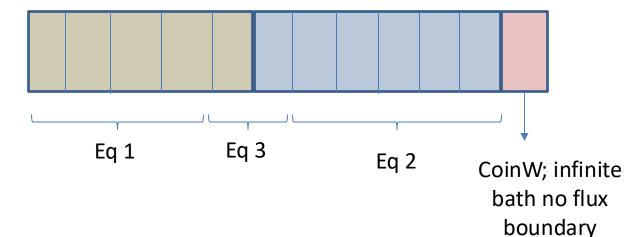
#### **Governing Equation:**

Calculation of Mass of PCB accumulated in PE  $(C_{PE})$ 

$$\frac{dC_{PE}}{dt} = k_u C_w - k_e C_{PE}$$

Calculation of Mass of PCB accumulated in PE at Equilibrium ( $C_{PE\_Eq}$ )

$$C_{PE\ Eq} = C_{PE}/(1 - e^{-k_e T})$$



condition.

#### FICK'S DIFFUSION MODEL

Governing Equation: System of well mixed infinite water bath

Eq 1 
$$\frac{\partial C_{PE}}{\partial t} = D_{PE} \frac{\partial^2 C_{PE}}{\partial x^2}$$

for 
$$-l < x < l$$

Eq 2 
$$\frac{\partial C_W}{\partial t} = D_W \frac{\partial^2 C_W}{\partial x^2}$$

for 
$$-l > x > -(l+b)$$
 and  $1 < x < (l+b)$ 

Eq 3

#### **Boundary Conditions:**

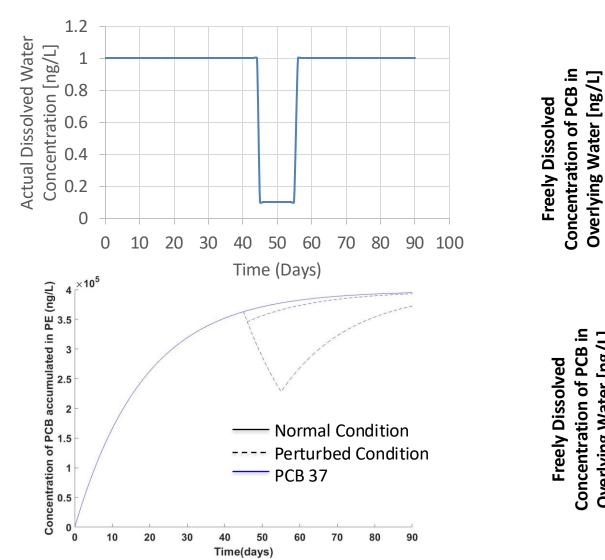
At the interface of the PE and water, the diffusive fluxes match so that mass is conserved

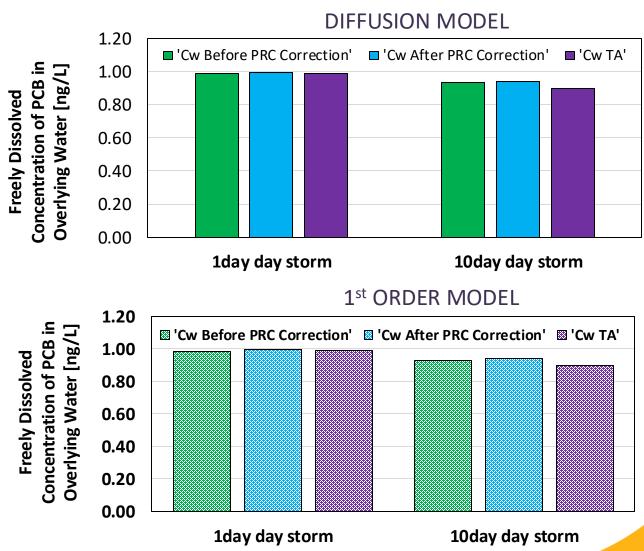
$$D_{PE} \frac{dC_{PE}}{dx} = D_W \frac{dC_W}{dx}$$
 for  $x = l$  and  $x = -l$ 

local equilibrium distribution

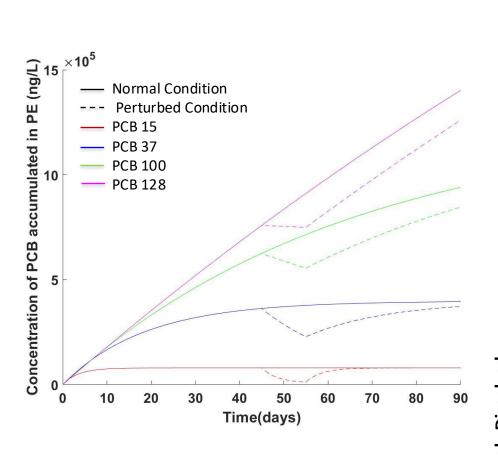
$$C_{PE} = K_{PEW} C_W$$
 at  $x = l$  and  $x = -l$ 

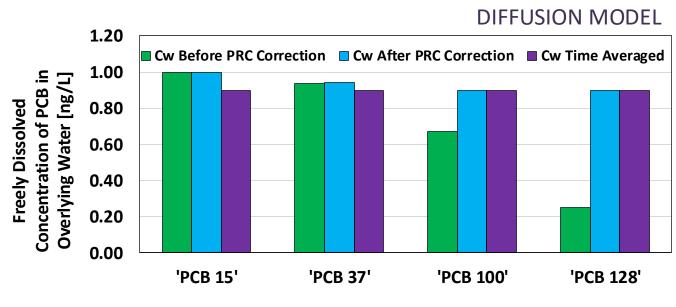
### Impact of a 10-day long perturbation on the uptake of PCB 37

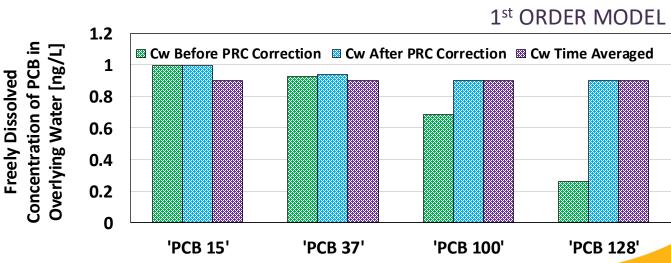




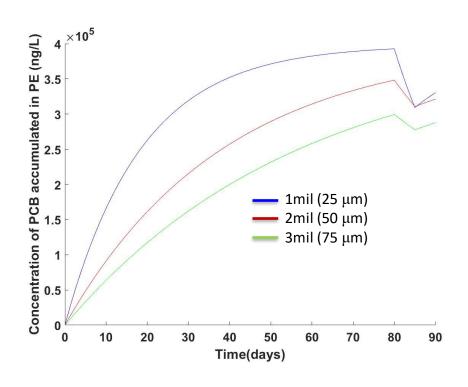
Effect of 10-day long perturbation on the uptake of different PCB homologs

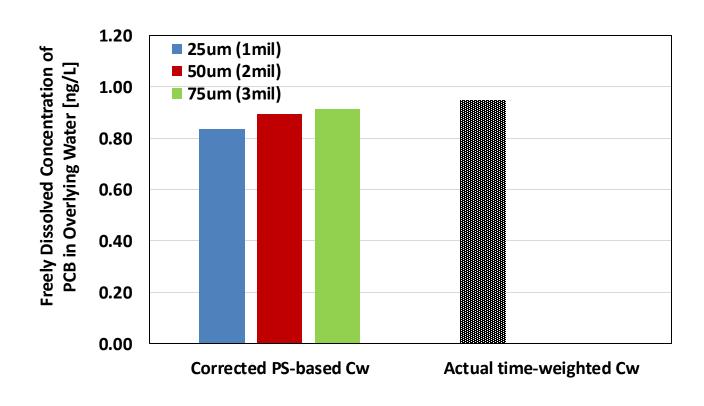






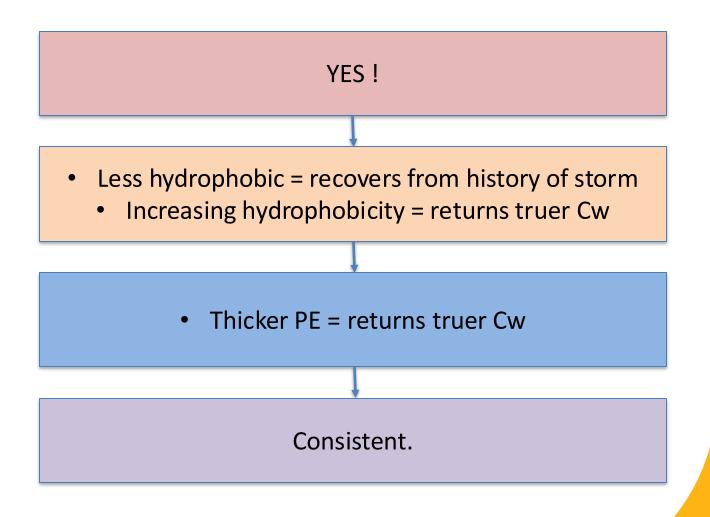
### Impact of various PE thickness on the uptake of PCB 37





## CONCLUSION

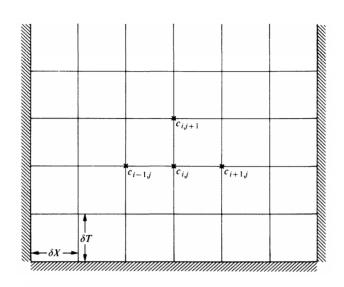
 Is there a time period beyond which a perturbation in concentration is not captured in the passive sampling time-integration?





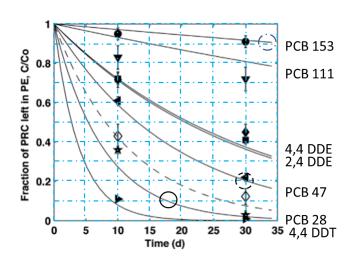
## THANK YOU

## FINITE SOLUTION OF DIFFUSION MODEL

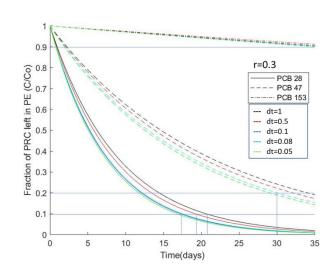


$$c_{i,j+1} = c_{i,j} + r(c_{i-1,j} - 2c_{i,j} + c_{i+1,j}),$$
  
 $r = \delta T / (\delta X)^2.$  r<0.5

## Analytical solution in Tcacuic et al, 2015



### Our Model



[wbl:0.02cm, 25um PE; Infinite Water Bath]

[r=0.3; dt=0.1s]

#### **INITIAL CONDITIONS:**

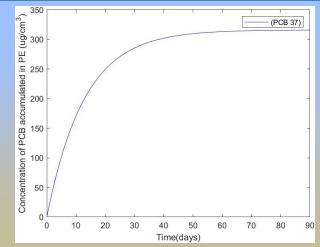
#### 1. NO STORM CONDITION

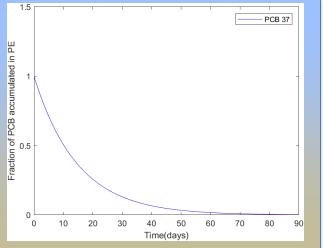
Water: 1 ng/L

• PE: 0 ng/L

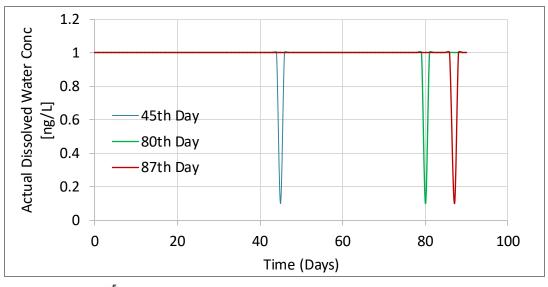
#### 2. Storm

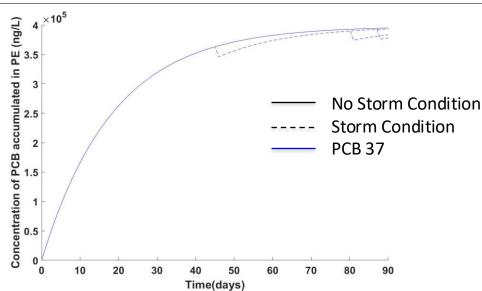
Water: 0.1ng/L

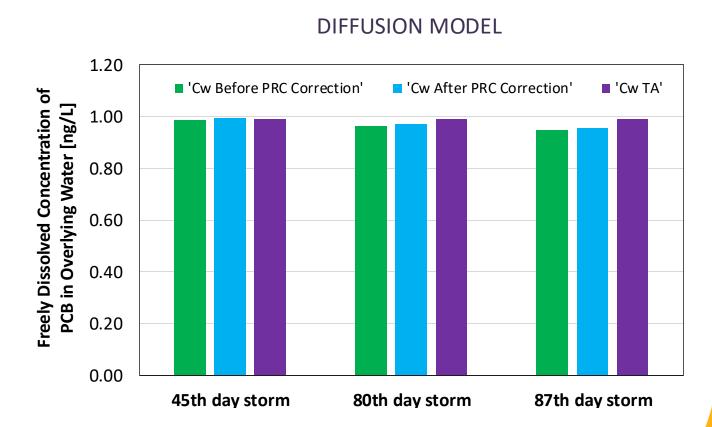




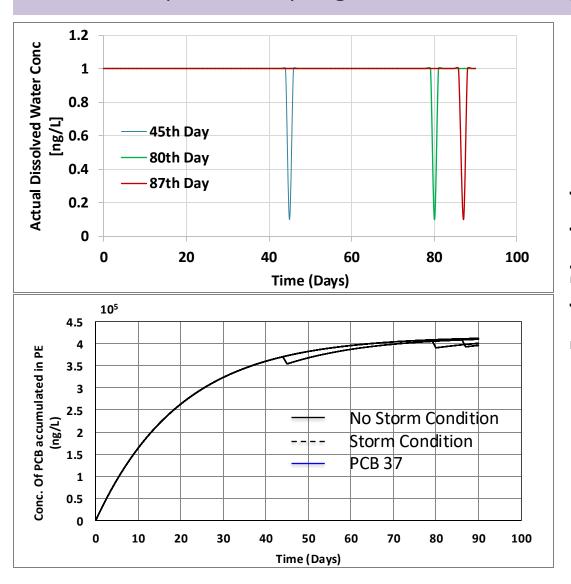
#### Impact of 1-day long storms on different days during the deployment period on the uptake of PCB 37



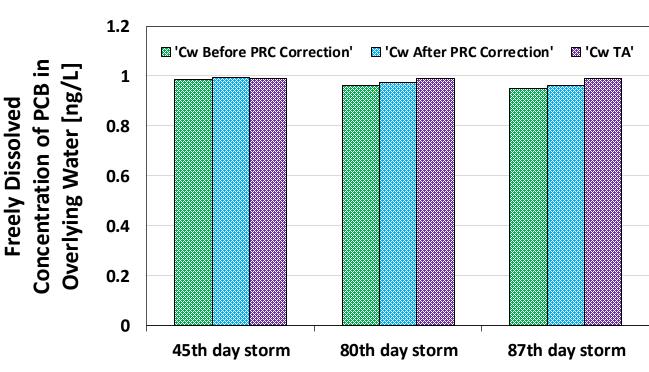




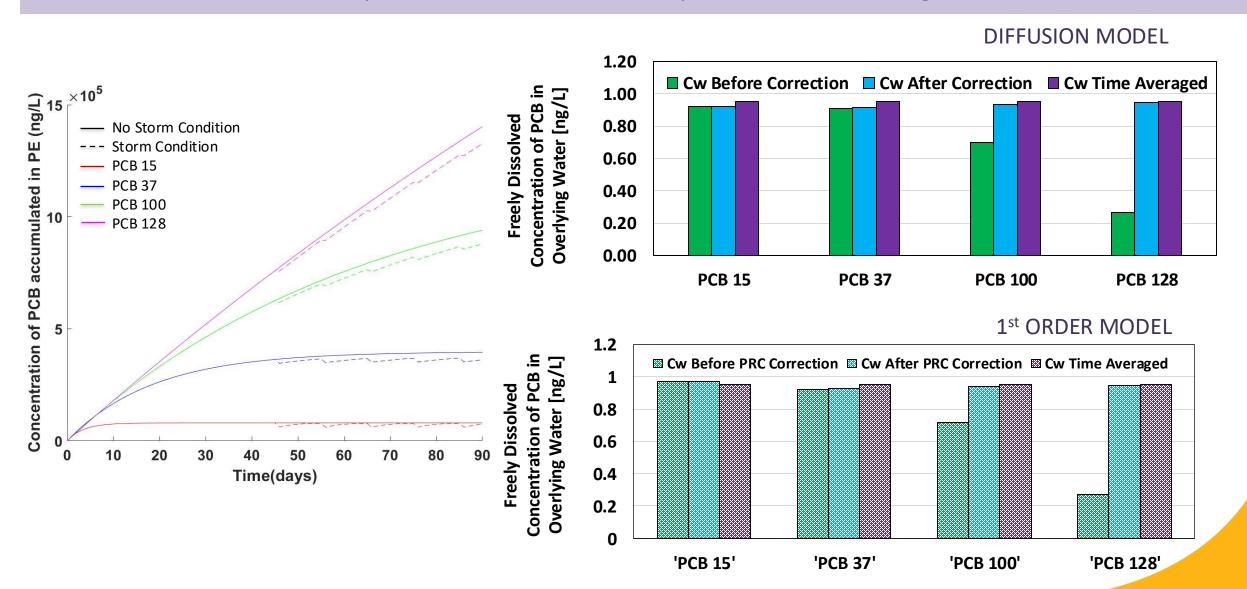
Impact of 1-day long storms on different days during the deployment period on the uptake of PCB 37



#### 1<sup>st</sup> ORDER MODEL



#### Impact of Periodic Storms on the Uptake of Various Homologs



#### Impact of Varying Water Boundary Layer (WBL) Thickness on the Uptake of PCB 37

